

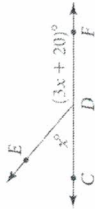
Construct a two-column proof by completing all of the reasons.

1.) Given: $3 - 2x = 17$ Prove: $x = -7$	
<b>Statements</b>	<b>Reasons</b>
1.) $3 - 2x = 17$	
2.) $-2x = 14$	
3.) $x = -7$	

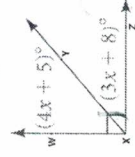
2.) Given: $\frac{1}{2}x - 5 = 10$ Prove: $x = 30$	
<b>Statements</b>	<b>Reasons</b>
1.) $\frac{1}{2}x - 5 = 10$	
2.) $x - 10 = 20$	
3.) $x = 30$	

3.) Given: $5(x + 3) = -5$ Prove: $x = -4$	
<b>Statements</b>	<b>Reasons</b>
1.) $5(x + 3) = -5$	
2.) $5x + 15 = -5$	
3.) $5x = -20$	
4.) $x = -4$	

4.) Given: $\frac{2x+6}{3} = 4$ Prove: $x = 3$	
<b>Statements</b>	<b>Reasons</b>
1.) $\frac{2x+6}{3} = 4$	
2.) $2x + 6 = 12$	
3.) $2x = 6$	
4.) $x = 3$	

5.) Given: $\angle CDE$ and $\angle FDE$ are linear pairs Prove: $x = 40$	
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6.) Given: $\overline{BC}$ bisects $\angle ABD$ Prove: $m\angle ABD = 110$	
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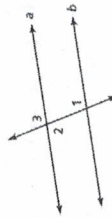
7.) Given: $\angle WXY$ and $\angle ZXY$ are complementary Prove: $x = 11$	
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8.) Given: $m\angle GFI = 128$ Prove: $m\angle GFE = 88$	
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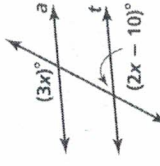
Math 2

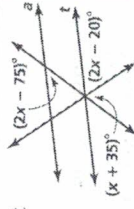
9.) Given: $\angle AEB \cong \angle CED$ Prove: $m\angle AEC = 155$	
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10.) Given: $\angle ACD$ and $\angle BCD$ are supplementary Prove: $m\angle BCD = 75$	
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11.) Given: $a \parallel b$ Prove: $\angle 1 \cong \angle 3$	
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12.) Given: $a \parallel b$ Prove: $\angle 4$ and $\angle 15$ are supplementary	
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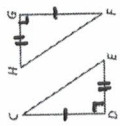
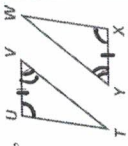
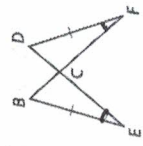
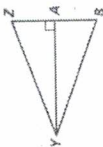
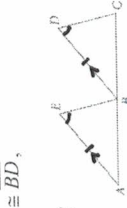
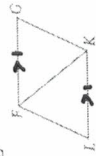
13.) Given: Line $a \parallel$ Line $t$ Prove: $x = 38$	
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14.) Given: Line $a \parallel$ Line $t$ Prove: $x = 48$	
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Unit 5.6 Using Proofs to Prove: Algebraically,  
Parallel Lines & Angles, & Triangle Congruency

Math 2

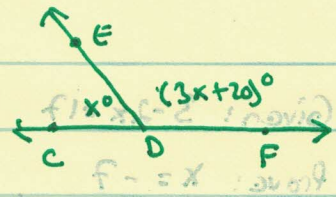
Complete each proof using a flow proof.

<p>15.) Given: <math>\overline{CD} \cong \overline{FG}</math>, <math>\overline{DE} \cong \overline{GH}</math>, and <math>\angle D \cong \angle G</math> Prove: <math>\triangle CDE \cong \triangle FGH</math></p> 	<p>16.) Given: <math>\angle U \cong \angle X</math>, <math>\angle V \cong \angle Y</math>, and <math>\overline{UV} \cong \overline{XY}</math> Prove: <math>\triangle TUV \cong \triangle WXY</math></p> 
<p>17.) Given: <math>\angle E \cong \angle F</math>, <math>\overline{BE} \cong \overline{DF}</math> Prove: <math>\triangle BEC \cong \triangle DFC</math></p> 	<p>18.) Given: <math>\overline{YA}</math> bisects <math>\overline{ZB}</math> and <math>\overline{YZ} \cong \overline{YB}</math> Prove: <math>\triangle YZA \cong \triangle YBA</math></p> 
<p>19.) Given: <math>\overline{AE} \parallel \overline{BD}</math>, <math>\overline{AE} \cong \overline{BD}</math>, and <math>\angle E \cong \angle D</math> Prove: <math>\triangle AEB \cong \triangle BDC</math></p> 	<p>20.) Given: <math>\overline{FG} \parallel \overline{KL}</math>, <math>\overline{FG} \cong \overline{KL}</math> Prove: <math>\triangle FGK \cong \triangle KLF</math></p> 



5) Given:  $\angle CDE$  and  $\angle FDE$  are linear pairs

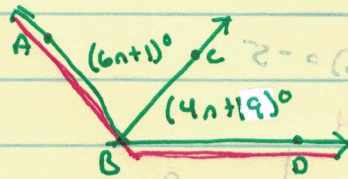
Prove:  $x = 40$



Statements	Reasons	Equations	Step
1) $\angle CDE$ and $\angle FDE$ are linear pairs	Given	$\angle 1 = x$	1
2) $\angle CDE$ and $\angle FDE$ are supplementary	Def. of Linear Pairs	$\angle 1 = x$	2
3) $m\angle CDE + m\angle FDE = 180$	Def. of Supplementary $\angle$ s	$x + 3x + 20 = 180$	3
4) $x + 3x + 20 = 180$	Substitution Postulate	$4x + 20 = 180$	4
5) $4x + 20 = 180$	Def. of Like Terms	$4x = 160$	5
6) $4x = 160$	Subtraction Property of =	$x = 40$	6
7) $x = 40$	Division Prop. of =		7

6) Given:  $\vec{BC}$  bisects  $\angle ABD$

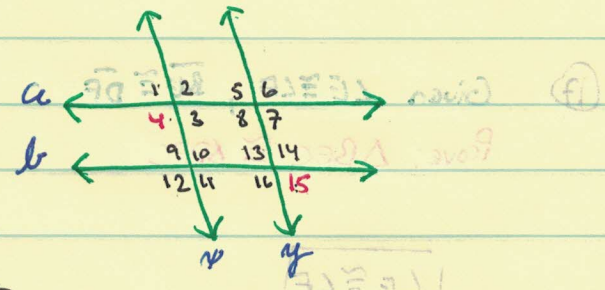
Prove:  $m\angle ABD = 110^\circ$



Statements	Reasons	Equations	Step
1) $\vec{BC}$ bisects $\angle ABD$	Given		1
2) $m\angle ABC = m\angle CBD$	Defn. of Angle Bisector	$6n + 1 = 4n + 19$	2
3) $6n + 1 = 4n + 19$	Substitution Post.	$2n + 1 = 19$	3
4) $2n + 1 = 19$	Subtraction Prop. of =	$2n = 18$	4
5) $2n = 18$	Subtraction Prop. of =	$n = 9$	5
6) $n = 9$	Division Prop of =		6
7) $m\angle ABC + m\angle CBD = m\angle ABD$	Given		7
8) $6n + 1 + 4n + 19 = m\angle ABD$	Substitution		8
9) $6(9) + 1 + 4(9) + 19 = m\angle ABD$	Substitution		9
10) $110^\circ = m\angle ABD$	Def. of Simplify		10

12) Given:  $a \parallel b$

Prove:  $\angle 4$  and  $\angle 15$  are supplementary

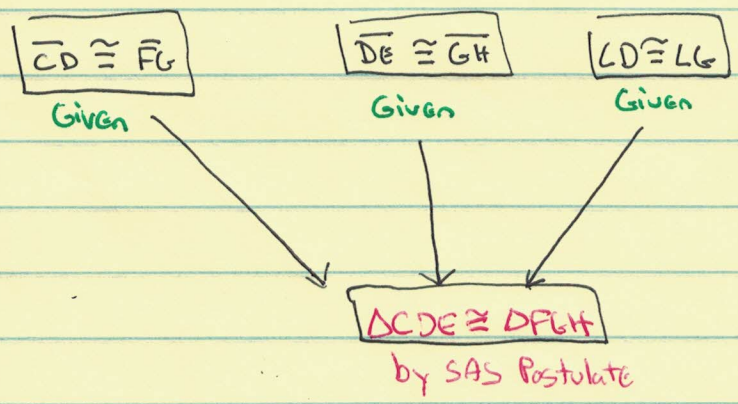
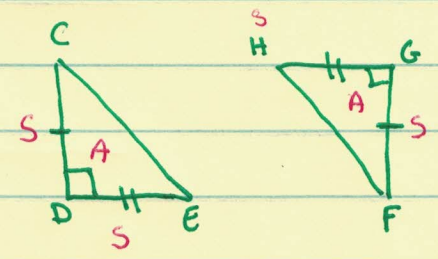


Statement	Reasons
1) $a \parallel b$	Given
2) $\angle 4$ and $\angle 9$ are supplementary	Def. of Same-side-Interior
3) $m\angle 4 + m\angle 9 = 180^\circ$	Def. of Supplementary $\angle$ s
4) $\angle 8$ and $\angle 13$ are supplementary	Def. of Same-side-Interior
5) $m\angle 8 + m\angle 13 = 180^\circ$	Def. of Supplementary $\angle$ s
6) $\angle 13 \cong \angle 15$	Vertical $\angle$ s
7) $m\angle 13 = m\angle 15$	Def. of $\cong \angle$ s
8) $\angle 9 \cong \angle 13$	Corresponding $\angle$ s
9) $m\angle 9 = m\angle 13$	Def of $\cong \angle$ s
10) $m\angle 4 + m\angle 15 = 180^\circ$	Substitution
11) $\angle 4$ and $\angle 15$ are supplementary	Def of Supplementary $\angle$ s

15) Given:  $\overline{CD} \cong \overline{FG}$ ,  $\overline{DE} \cong \overline{GH}$

and  $\angle D \cong \angle G$

Prove:  $\triangle CDE \cong \triangle FGH$



17) Given  $\angle E \cong \angle F$ ,  $\overline{BE} \cong \overline{DF}$   
 Prove:  $\triangle BEC \cong \triangle DFC$

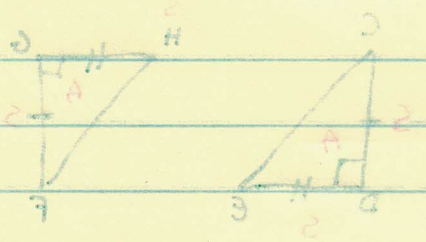
$\angle E \cong \angle F$   
 Given

$\overline{BE} \cong \overline{DF}$   
 Given

$\angle BCE \cong \angle DCF$   
 Vertical  $\angle$

$\triangle BEC \cong \triangle DFC$

by AAS Postulate



12) Given:  $\overline{CD} \cong \overline{EG}$ ,  $\overline{DE} \cong \overline{GH}$   
 and  $\angle D \cong \angle G$   
 Prove:  $\triangle CDE \cong \triangle GHE$

$\overline{CD} \cong \overline{EG}$   
 Given

$\overline{DE} \cong \overline{GH}$   
 Given

$\angle D \cong \angle G$   
 Given

$\triangle CDE \cong \triangle GHE$

by SAS Postulate