

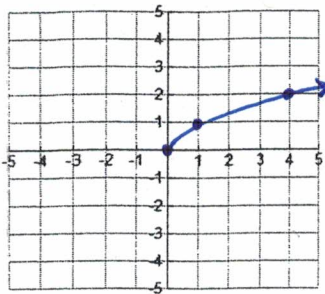
-Graphing Radical (Square Root) Functions Using Transformations

Characteristics of Parent Radical (Sq Root) Function

Transformation 1.1 - Vertical Translations

Parent Function of a Square Root: $y = \sqrt{x}$ $x \geq 0$

If have $y = \sqrt{x} \pm d$ then you can have "Changes y"



x	y
0	0
1	1
4	2

- + d which means translates UP d units
- - d which means translates down d units

Transformation 1.2 - Horizontal Translations

If have $y = \sqrt{x \pm c}$ then you can have "Changes x"

- + c which means translates LEFT c units
- - c which means translates RIGHT c units

Transformation 1.3 - Reflection

If have $y = -\sqrt{x}$ then you have...

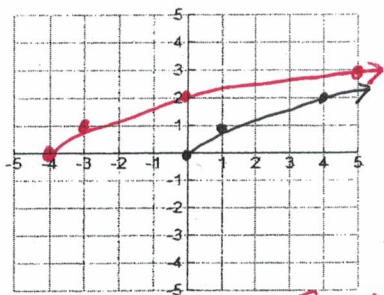
a Reflects over x-axis causing function to flip down

- Starting Point: $(0,0)$ (c,d) starting point
↳ take opposite of what is under
- Domain: $[0, \infty)$ • Range: $[0, \infty)$

Example 1: Do the following – a.) Draw in the original and transformed square root function.
b.) State the domain and range of the transformed function.

Parent function: $y = \sqrt{x}$

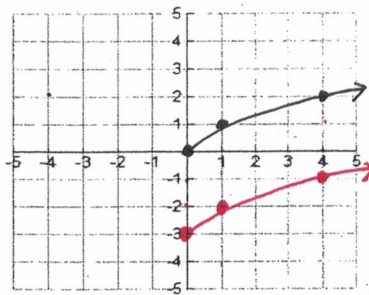
a.) Given Function: $y = \sqrt{x+4}$ c
Transformations: left 4 units



Domain: $[-4, \infty)$ Range: $[0, \infty)$

Parent Function: $y = \sqrt{x}$

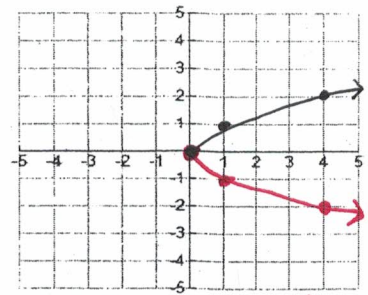
b.) Given Function: $y = \sqrt{x-3}$ d
Transformations: Down 3 units



Domain: $[0, \infty)$ Range: $[-3, \infty)$

Parent Function: $y = \sqrt{x}$

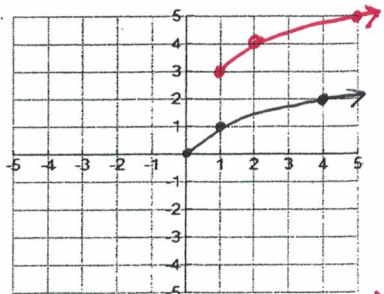
c.) Given Function: $y = -\sqrt{x}$ a
Transformations: reflects x-axis



Domain: $[0, \infty)$ Range: $(-\infty, 0]$

Parent Function: $y = \sqrt{x}$

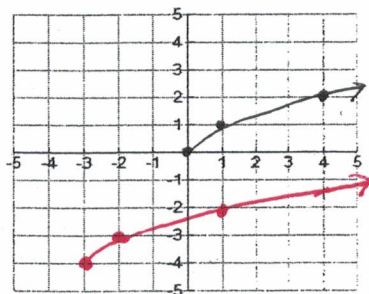
d.) Given Function: $y = \sqrt{x-1} + 3$ c d
Transformations: Right 1 unit Up 3 units



Domain: $[1, \infty)$ Range: $[3, \infty)$

Parent Function: $y = \sqrt{x}$

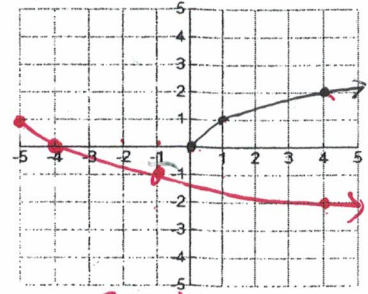
e.) Given Function: $y = \sqrt{x+3} - 4$ c d
Transformations: Left 3 units Down 4 units



Domain: $[-3, \infty)$ Range: $[-4, \infty)$

Parent Function: $y = \sqrt{x}$

f.) Given Function: $y = -\sqrt{x+5} + 1$ a c d
Transformations: Reflect x-axis, left 5, Up 1



Domain: $[-5, \infty)$ Range: $(-\infty, 1]$